

Computational Models for Argumentation in MAS

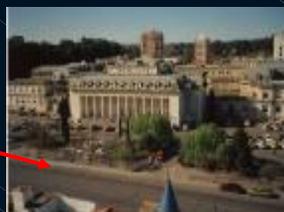
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Where are we from...



Univ. Nacional del Sur
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University of Lleida
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Main references

- H. Prakken, G. Vreeswijk. *Logical Systems for Defeasible Argumentation*, in D. Gabbay (Ed.), Handbook of Philosophical Logic, 2nd Edition, 2002.
- C.Chesñevar, A.Maguitman, R.Loui. *Logical Models of Argument*. In ACM Computing Surveys, Dec. 2000.
- I. Rahwan, S. D. Ramchurn, N. R. Jennings, P. McBurney, S. Parsons, and L. Sonenberg (2003b) “*Argumentation-based negotiation*”. The Knowledge Engineering Review 18 (4) 343-375.

Outline

- **(Very brief) Introduction to Multiagent Systems**
- What is argumentation? Fundamentals
- A Case Study: DeLP and its extensions as an argument-based approach to logic programming.
- Argumentation meets agents: argument-based negotiation
- Conclusions

Overview

- ➔ Five ongoing trends have marked the history of computing:
 - *ubiquity*;
 - *interconnection*;
 - *intelligence*;
 - *delegation*; and
 - *human-orientation*

Credits: some of these slides are based on Michael Wooldridge's lecture notes for his book "An Introduction to MAS" (Wiley & Sons, 2002)

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Ubiquity, Interconnection, Intelligence

- ➔ As processing capability spreads, sophistication (and intelligence of a sort) becomes ubiquitous.
- ➔ What could benefit from having a processor embedded in it...?
- ➔ Internet is powerful...Some researchers are putting forward theoretical models that portray computing as primarily a **process of interaction**.
- ➔ The complexity of tasks that we are capable of automating and delegating to computers has grown steadily.

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Delegation, Human-Orientation

- ➔ Computers are doing more for us – without our intervention. Next on the agenda: fly-by-wire cars, intelligent braking systems...
- ➔ Programmers conceptualize and implement software in terms of higher-level – more human-oriented – **abstractions**.
- ➔ The movement away from machine-oriented views of programming toward concepts and metaphors that more closely reflect the way we ourselves understand the world.

Programming progression...

- ➔ Programming has progressed through:
 - machine code;
 - assembly language;
 - machine-independent programming languages;
 - sub-routines;
 - procedures & functions;
 - abstract data types;
 - objects;
- to **agents**.

Where does it bring us?

- ➔ Delegation and Intelligence imply the need to build computer systems that can act effectively on our behalf.
- ➔ This implies:
 - The ability of computer systems to act *independently*.
 - The ability of computer systems to act in a way that *represents our best interests* while interacting with other humans or systems.

Interconnection and Distribution

- ➔ Interconnection and Distribution have become core motifs in Computer Science.
- ➔ But Interconnection and Distribution, coupled with the need for systems to represent our best interests, implies systems that can *cooperate* and *reach agreements* (or even *compete*) with other systems that have different interests (much as we do with other people).

So Computer Science expands...

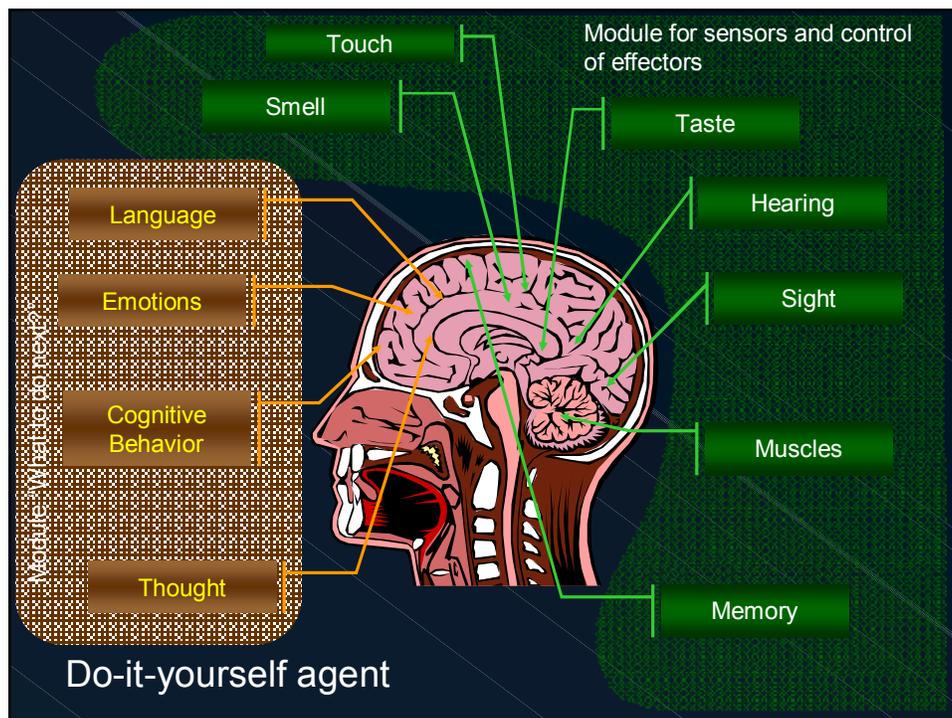
- ➔ These issues were not studied in Computer Science until recently.
- ➔ All of these trends have led to the emergence of a new field in Computer Science: **Multiagent Systems**.
- ➔ An agent is a computer system that is capable of **independent** action on behalf of its user or owner (figuring out what needs to be done to satisfy design objectives, rather than constantly being told).

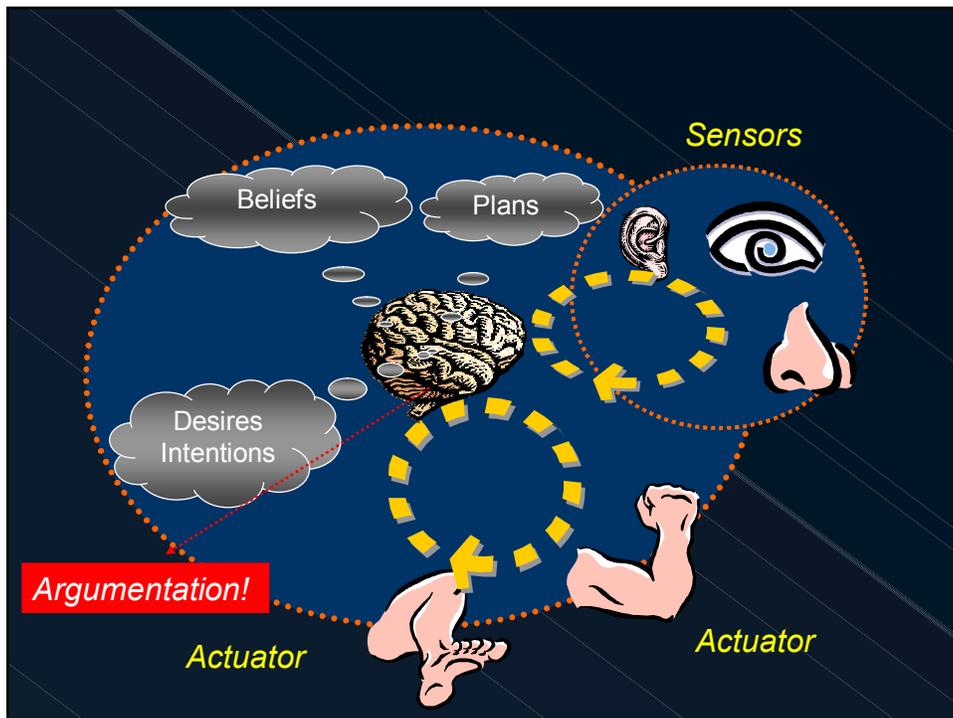
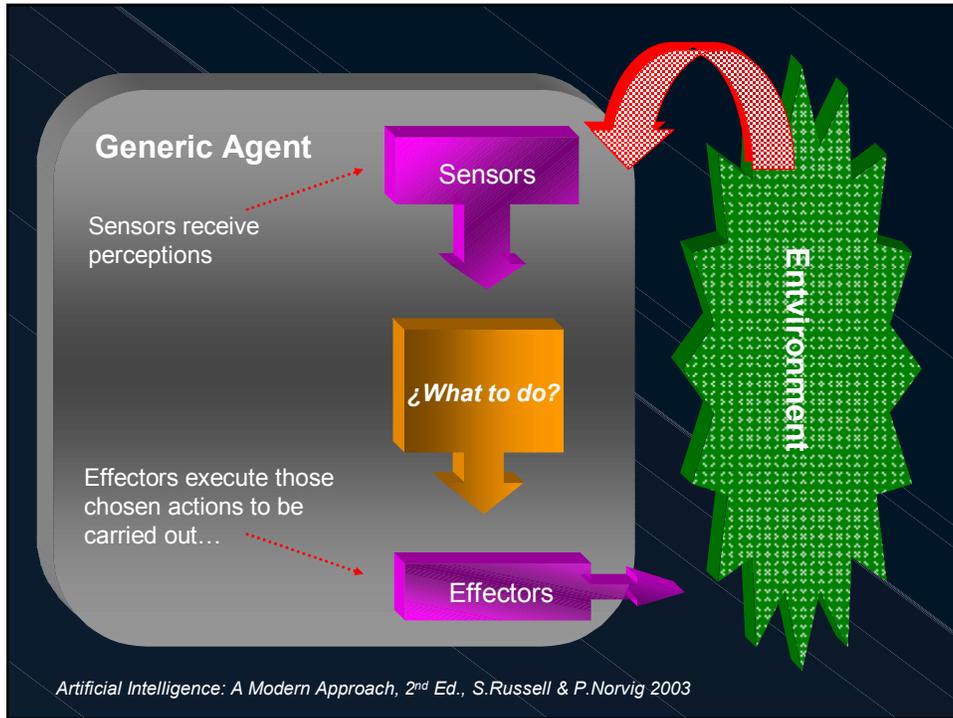
Multiagent Systems: a Definition

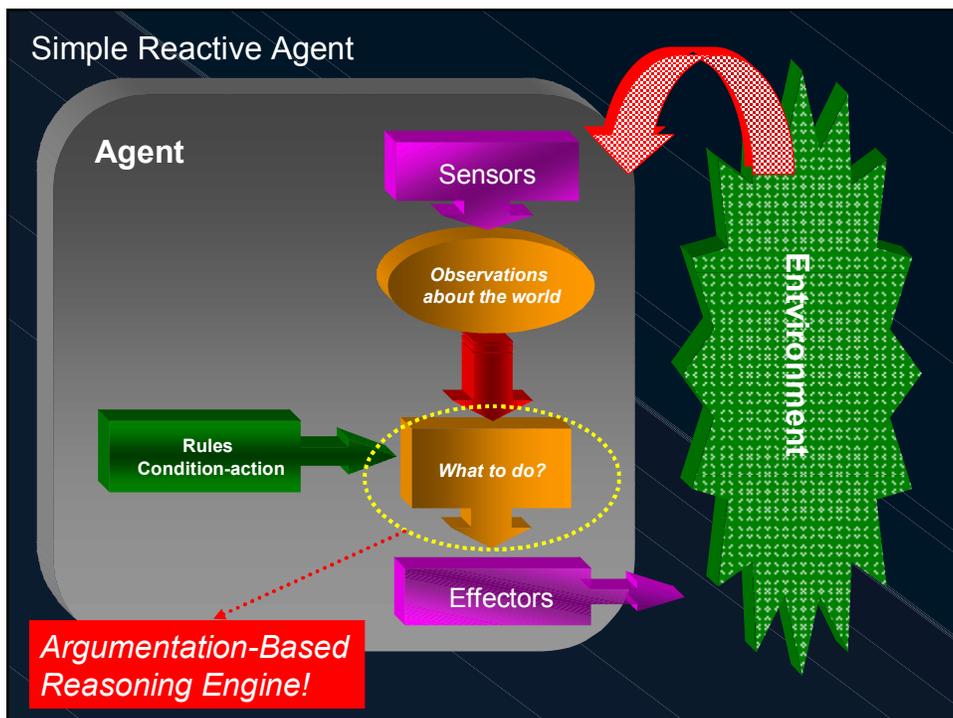
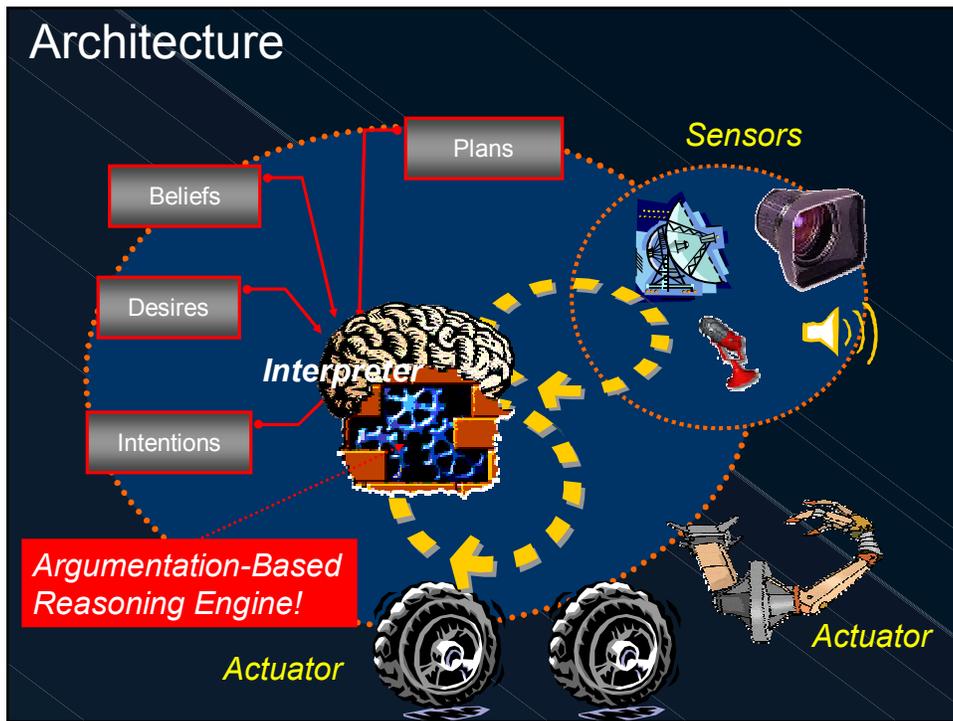
- ➔ A multiagent system is one that consists of a number of agents, which **interact** with one-another.
- ➔ In the most general case, agents will be acting on behalf of users with different goals and motivations.
- ➔ To successfully interact, they will require the ability to **cooperate**, **coordinate**, and **negotiate** with each other, much as people do.

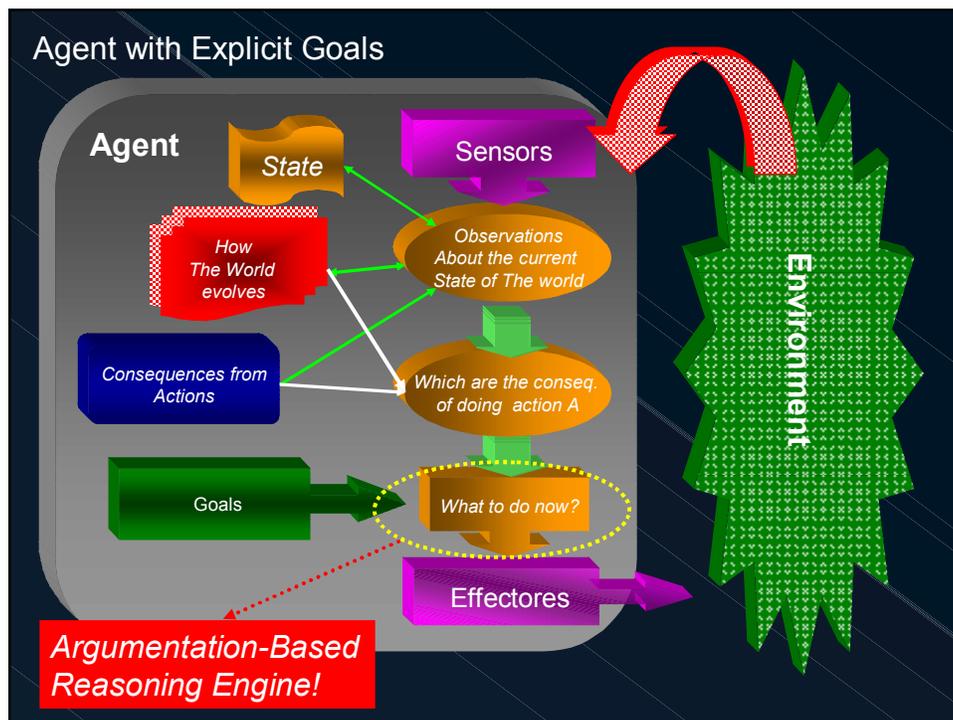
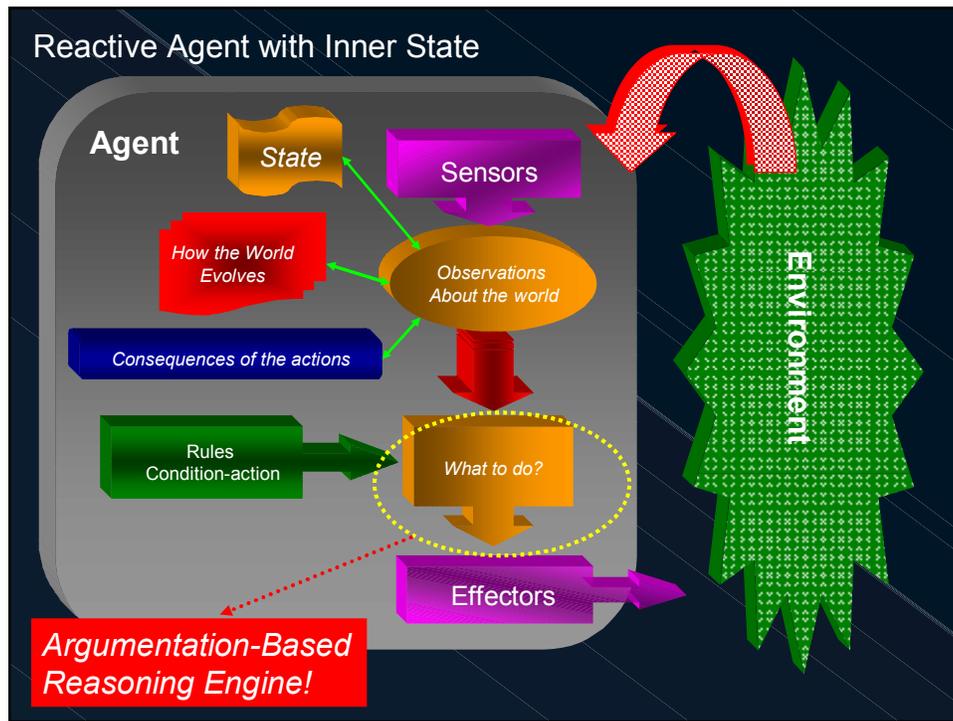
Multiagent Systems

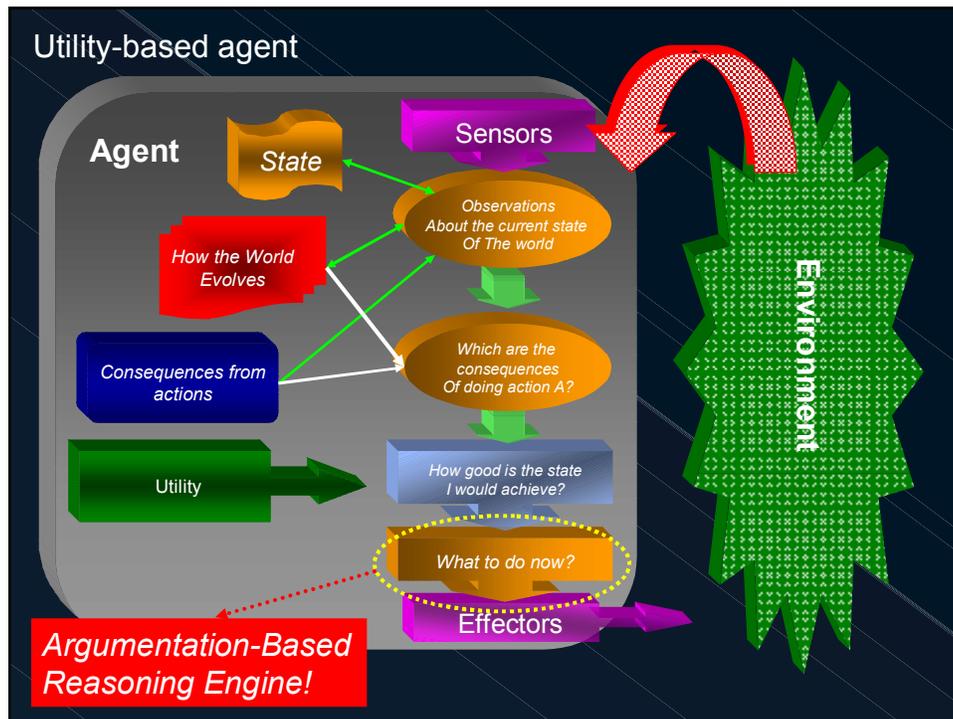
- ➔ In Multiagent Systems, we address questions such as:
- How can cooperation emerge in societies of self-interested agents?
 - What kinds of languages can agents use to communicate?
 - How can self-interested agents recognize conflict, and how can they (nevertheless) reach agreement?
 - How can autonomous agents coordinate their activities so as to cooperatively achieve goals?











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- **What is argumentation? Fundamentals**
- A Case Study: DeLP and its extensions as an argument-based approach to logic programming.
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Systems for defeasible argumentation. Generalities

Typical problems in (non-monotonic) default reasoning:

- 1) **Representation of defaults**: e.g. Birds usually fly
- 2) **Inconsistency handling**: identify relevant subsets of consistent information.
- 3) Identifying **preferred models**

Many approaches have been developed:

- Default logic (Reiter, 1980)
- Preferred subtheories (Brewka, 1989)
- Circumscription (McCarthy, 1987)
- Others...

Systems for defeasible argumentation. Generalities

Argumentation systems (AS) are “yet another way” to formalize common-sense reasoning. Non-monotonicity arises from the fact that new premises may give rise to stronger counterarguments, which in turn will defeat the original argument.

- 1) **Normality condition view**: an **argument** = standard proof from a set of premises + normality statements. A **counterargument** is an attack on such a normality statement.
- 2) **Inconsistency handling view**: an **argument** = standard proof from a consistent subset of the premises. A **counterargument** is an attack on a premise of an argument.
- 3) **Semantic view**: constructing ‘invalid’ **arguments** (wrt the semantics) is allowed in the proof theory. A **counterargument** is an attack on the use of an inference rule which deviates from a preferred model.

*Views on
default
reasoning
from an
argumentation
perspective*

Systems for Defeasible Argumentation

According to Prakken & Vreeswijk (2002), there are five common elements to systems for defeasible argumentation:

Definition of Underlying Logical Language

Definition of Argument

Definition of Conflict among Arguments

Definition of Defeat among Arguments

Definition of Status of Arguments

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The underlying logic: Arguments & Logical consequence

- ➔ Argumentation Systems are constructed starting from a *logical language* and an associated notion of *logical consequence* for that language.
- ➔ The logical consequence relation helps to define what will be considered an *argument*.
- ➔ This consequence relation is *monotonic*, *i.e.*, new information cannot invalidate arguments as such, but rather give rise to counterarguments.
- ➔ Arguments are seen as *proofs* in the chosen logic.

Argument as a 'proof'

Arguments are presented under different forms:

- ➔ An inference tree grounded in premises.
- ➔ A deduction sequence.
- ➔ A pair (*Premises*, *Conclusion*), leaving unspecified the particular proof, in the underlying logic, that leads from the *Premises* to the *Conclusion*.
- ➔ A completely unspecified structure, such as in Dung's abstract framework for argumentation (1995).

Conflict, Attack, Counterargument

The notion of conflict (Counterargument or Attack) between arguments is typically discussed discriminating three cases:

- ➔ **Rebutting attacks:** arguments with contradictory conclusions.
- ➔ **Assumption attack:** attacking non-provability assumptions.
- ➔ **Undercutting attacks:** an argument that undermines some intermediate step (inference rule) of another argument.

Rebutting and assumption attacks

Rebutting is symmetric, e.g.:

'Tweety flies because it is a bird'

versus

'Tweety doesn't fly because it is a penguin.'

Assumption attack:

Tweety flies because it is a bird and it is not provable that Tweety is a penguin' versus

Tweety is a penguin'

tweety flies \neg *tweety flies*

tweety flies *penguin tweety*

not(penguin tweety)

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Undercutting attack

➔ An argument challenges the connection between the premises and the conclusion.

h

$\neg [p, q, r / h]$

Tweety flies because all the birds I've seen fly

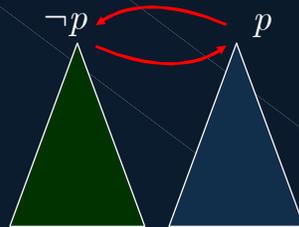
I've seen Opus; it is a bird and it doesn't fly

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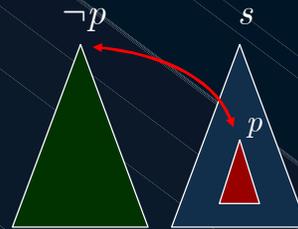
Direct vs. Indirect Attack

These types of attack could be *direct* and *indirect*.

Direct attack



Indirect attack

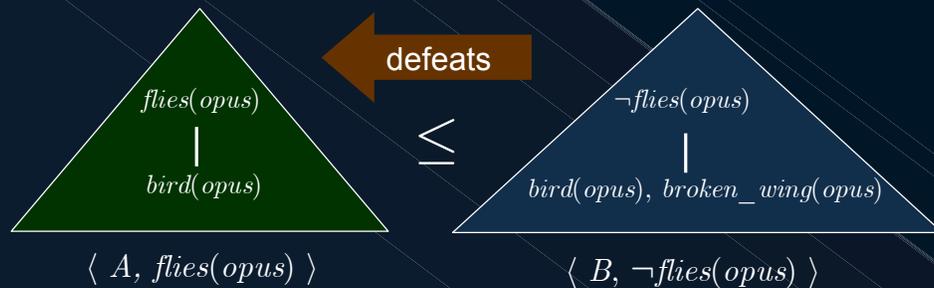


Defeat: Comparing Arguments

- ➔ The notion of conflict does not embody any form of *comparison*; this is another element of AS.
- ➔ *Defeat has the form of a binary relation between arguments*, standing for
 - ‘attacking and not weaker’ (defeat)
 - ‘attacking and stronger’ (strict defeat)
- ➔ Terminology varies: ‘defeat’ (Simari, 1989; Prakken & Sartor, 1997), ‘attack’ (Dung, 1995; Bondarenko *et. al* 1997) and ‘interference’ (Loui, 1998).

Defeat: Comparing Arguments

- ➔ Argumentation systems vary in their grounds for evaluation of arguments. One common criterion is the *specificity principle*, which prefers arguments based on the most specific defaults.



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Defeat: Comparing Arguments

- ➔ However, it has been argued that specificity is not a general principle of commonsense reasoning, but rather a standard that might (or might not) be used.
- ➔ Some researchers even claim that general, domain-independent principles of defeat *do not exist*, or are very weak.
- ➔ Some even argue that the evaluation criteria are part of the domain theory, and should also be debatable.

What do you think?

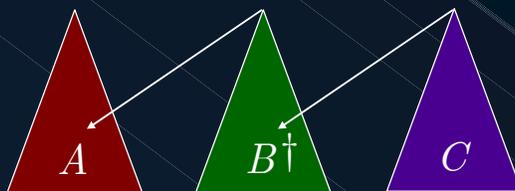
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Defeat: comparing arguments

- ➔ In **Simari&Loui's framework**, specificity is used as a default, but it is 'modular': any other preference relation defined among arguments could be used.
- ➔ In **Dung's**, defeat is an abstract notion, left undefined.
- ➔ In **Bondarenko's framework**, defeat is limited to attack between arguments (there is no preference at all!)
- ➔ Other comparison criteria are possible...

Defeat: comparing arguments

- ➔ Defeat is basically a binary relation on a set of args.
- ➔ But ... it just tells us something about two arguments, not about a dispute (that may involve many args.)
- ➔ A common situation is **reinstatement** as in the example below (where an argument **C** reinstates an argument **A** by defeating argument **B**)

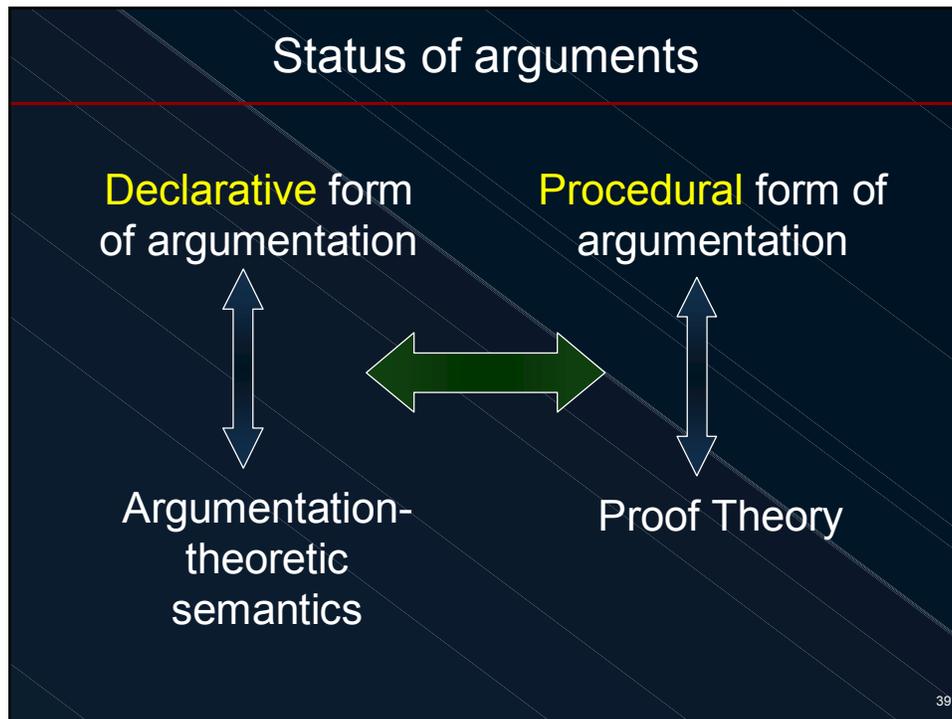


Status of Arguments

- ➔ The last element in our ontology comes into play... the definition of *Status of Arguments*.
- ➔ This notion is the actual output of most Arg.Sys and arguments are divided into (at least) two classes:
 - Arguments with which a dispute can be *'won'*
 - Arguments with which a dispute can be *'lost'*
 - Arguments that leave the dispute *'undecided'*
- ➔ Usual terminology: *'justified'* or *'warranted'* vs. *'defeated'* or *'overruled'* vs. *'defensible'*, etc.

Status of arguments

- ➔ Status of arguments can be computed either in *'declarative'* or *'procedural'* form.
- ➔ In the declarative form usually requires *fixed-point definitions*, and establishes certain sets of arguments as *acceptable* (in the context of a set of premises and a evaluation criteria) but without defining a procedure for testing whether a given argument is a member of this set.
- ➔ *'Procedural form'* amounts to defining such a procedure for *acceptability*.



- ### Model-theoretic Semantics
- ➔ Default logic was initially criticized by the lack of a model-theoretic semantics...
 - ➔ Several researchers argued that NMR needs a different kind of semantics than model theory suggesting an **argumentation-theoretic semantics**.
 - ➔ Model theory provides meaning to logical languages by defining how the world would be if an expression with these symbols would be true.
 - ➔ *Should this be the case for argumentative systems ...?*
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Model-theoretic Semantics

- ➔ Some researchers (e.g. Pollock, Vreeswijk, Loui) argue that the meaning of defaults should not be found in a correspondence with reality, but in their role in *dialectical inquiry*.
- ➔ This approach goes as follows: *since the central notions of defeasible reasoning are not propositional, then the semantics should also be different, i.e., an argumentation-theoretic semantics should be defined.*

Argumentation-theoretic Semantics

- ➔ Defeasible rules “*premises \Rightarrow conclusion*” induce a *burden of proof*, rather than a correspondence between a proposition and the world.
- ➔ Argumentation-theoretic semantics tries to capture sets of arguments that are as large as possible, and defend themselves against attacks on their members.

Argument-based Semantics

- ➔ Which conditions on sets of arguments should be satisfied?
- ➔ We will assume as background
 - A set *Args* of arguments
 - A binary relation of '*defeat*' defined over it.

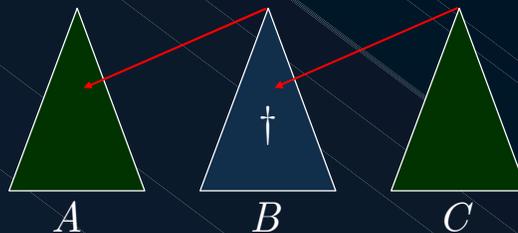
Def. 1: Arguments are either *justified* or *not justified*

1. An argument is justified if all arguments defeating it (if any) are not justified.
2. An argument is not justified if it is defeated by an argument that is justified.

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Argument-based Semantics

Example: Consider three arguments *A*, *B* and *C*

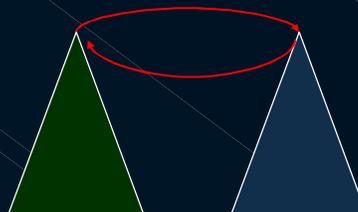


Argument *A* and *C* are justified; argument *B* is not.

Example: Even cycle

A = “Nixon was a pacifist
because he was a quaker”

B = “Nixon wasn’t a pacifist
because he was a republican”



There are two status
assignment that satisfy Def 1

Def. 1: Arguments are either *justified* or *not justified*

1. An argument is justified if all arguments defeating it (if any) are not justified.
2. An argument is not justified if it is defeated by an argument that is justified.

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Argument-based Semantics

In the literature, two approaches to the solution of this problem can be found.

- ➔ *First approach*: changing Def. 1 in such a way that there is always precisely **one possible way** to assign a status to arguments. Undecided conflicts get the status ‘not justified’.

Allowing unique-status assignment (u.s.a).

- ➔ *Second approach*: allowing **multiple assignments**, defining an argument as ‘genuinely’ justified iff it is justified in **all possible assignments**.

Allowing multiple-status assignment (m.s.a).

Self-defeating Argument

Another problem with Definition 1

- The role of self-defeating arguments.



A

*Self-defeating arguments
are inconsistent with
Definition 1*

↓ but...

*They can be considered
as plausible constructions.*

The Unique-Status-Assignment Approach

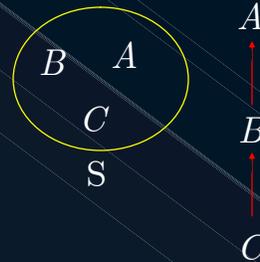
This idea could be presented in two different ways:

- ➔ Using a **fixed-point operator**
- ➔ Given a **recursive definition** of justified argument

Fixed-point Definitions

This approach has been used in several frameworks, e.g., Pollock (1987,1992), Simari & Loui (1992) and Prakken & Sartor (1997). It is based on the notion of reinstatement, captured by Dung's definition of acceptability:

Def. 2: (Acceptability)
 An argument A is acceptable wrt a set S of arguments iff each argument defeating A is defeated by an argument in S .



A Fixed-point Operator

However, this notion seems to be not sufficient...



If $S = \{A\}$, A is acceptable wrt S

Def. 3: (Dung's Grounded Semantics) Let $Args$ be a set of arguments ordered by a binary relation of defeat, and let $S \subseteq Args$. Then the operator F is defined as follows.

$$F(S) = \{ A \in Args \mid A \text{ is acceptable wrt } S \}$$

A Fixed-point Operator

Dung proves that the operator F has a least fixed point

Def. 4: (Justified Argument) An arg. is justified iff it is a member of the least fixed point of F .

Def. 5: (Least fixed point of F)

- $F^0 = \emptyset$
- $F^{i+1} = \{ A \in Args \mid A \text{ is acceptable wrt } F^i \}$

Propositions

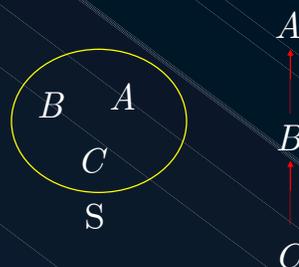
1. All arguments in $\cup_{i=0..∞} (F^i)$ are justified.
2. If each argument is defeated by at most a finite number of arguments, then an argument is justified iff it is in $\cup_{i=0..∞} (F^i)$.

Consider the previous example :

$$F^1 = F(\emptyset) = \{C\}$$

$$F^2 = F(F(\emptyset)) = \{A, C\}$$

$$F^3 = F(F^2(\emptyset)) = F^2$$



G operator. Levels in Justification

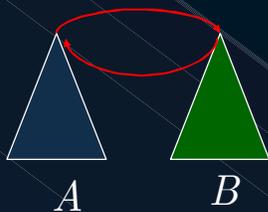
Def. 6: (G operator) Let $Args$ be a set of arguments ordered by a binary relation of defeat. Then

$$G(S) = \{A \in Args \mid A \text{ is not defeated by any arg. in } S\}$$

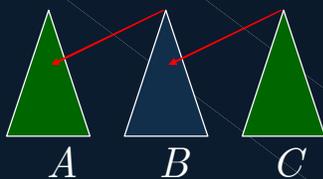
Def. 7: (Levels in justification)

- All arguments are *in* level 0
- An argument is *in* at level $(n+1)$ iff it is not defeated by any argument at level n
- An argument is *justified* iff there is an m such that for every $n \geq m$, the argument is *in* at level n .

Examples



Level	IN
0	A, B
1	
2	A, B
3	
4	A, B



Level	IN
0	A, B, C
1	C
2	A, C
3	A, C
4	...

Infinite defeat chain

Consider an infinite chain of args A_1, \dots, A_n such that A_1 is defeated by A_2 , A_2 is defeated by A_3 , and so on.



The least fixed point of this chain is empty, since no argument is undefeated. Consequently, $F(\emptyset) = \emptyset$

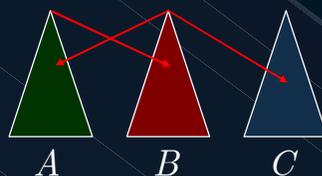
This example has two other fixed points:

$$F_1 = \{A_1, A_3, A_5, A_7, \dots\}$$

$$F_2 = \{A_2, A_4, A_6, A_8, \dots\}$$

Defensible and Overruled Arguments

Consider the following situation:



B is not defeated by a justified argument!

“B” is called “**zombie argument**” (Makinson & Schlechta, 1991), or “**defensible arguments**” (Prakken & Sartor).

Def 8: (Overruled and defensible arguments)

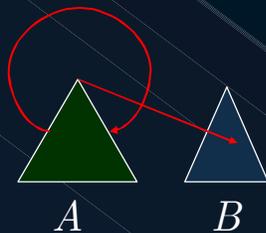
- A is **overruled** iff A is not justified, and A is defeated by a justified argument
- A is **defensible** iff A is not justified and A is not overruled.

Defensible and Overruled Arguments

In summary:



Self-defeating arguments



Intuitively, B should be justified ...

But $F(\emptyset) = \emptyset$, so neither of them is!

Def. 9: (Levels in justification / modified)

- An argument is *in* at level 0 iff it is not self-defeating.
- An argument is *in* at level $(n+1)$ iff it is *in* at level 0 and it is not defeated by any arg. at level n
- An argument is *justified* iff there is an m such that for every $n \geq m$, the argument is *in* at level n .

Self-defeating Arguments

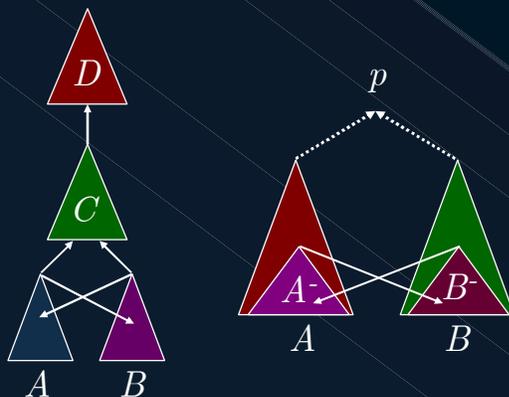
Appart from Pollock's refined version of "level- n arguments", there are other possible solutions to self-defeating arguments:

- ➔ Distinguishing a special empty argument which defeats any self-defeating argument (Prakken & Sartor, Vreeswijk).
- ➔ Demanding that by construction arguments must be non self-defeating, (Simari & Loui).

Problems with Unique-Status Assignment

There are some problems when evaluating unique-status assignment.

Example: Floating Arguments / Floating Conclusions



The unique-status approach is inherently unable to capture floating arguments and conclusions.

Using Multiple-Status Assignment

- ➔ A second way to deal with competing arguments of equal strength is to let them induce two alternative *status assignments*.
- ➔ Evaluating outcomes from alternative status assignments let us determine when an argument is justified.

Def. : (Status assignment) Given a set S of args ordered by a binary defeat relation, an status assignment $sa(S)$ is a function which maps every argument in S into $\{in, out\}$, such that:

- i.* A is *in* iff all args defeating it (if any) are *out*.
- ii.* A is *out* if it is defeated by an arg that is *in*.

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Example



Def. : (Justification) Given a set S of arguments ordered by a binary defeat relation, an argument is **justified** iff it is *in* in all possible status assignments to S .

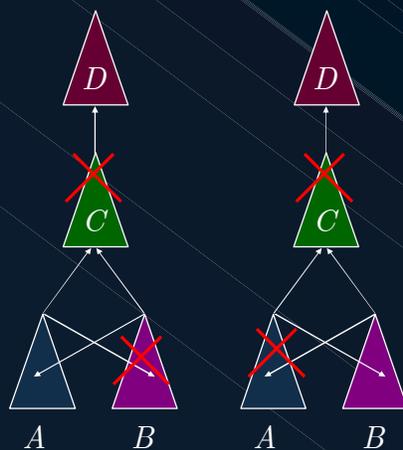
Classifying Arguments

Def. : Given a set S of arguments ordered by a binary defeat relation, an argument A is

- justified iff it is ‘*in*’ in all $sa(S)$.
- overruled iff it is ‘*out*’ in all $sa(S)$
- defensible iff it is ‘*out*’ in some $sa(S)$, ‘*in*’ in others.

- ➔ Are the two approaches are equivalent?
- ➔ The answer is no.

Equivalent?



The unique-status approach says ‘all arguments are defensible’

The multiple-status approach says ‘C is overruled’, and ‘D is justified’

Status of Conclusions

Def.: (Status of Conclusions)

- φ is a justified conclusion iff every status assignment assigns 'in' to an arg. with conclusion φ .
- φ is a defensible conclusion iff φ is not justified, and a conclusion of a defensible argument.
- φ is an overruled conclusion iff φ is not justified or defensible, and a conclusion of an overruled argument.

- ➔ Changing the first clause into ' φ is a justified conclusion iff φ is the conclusion of a justified argument' would make a stronger notion ...

Problems with Multiple-Status Assignment



- ➔ What are the status assignments?
➔ There are no status assignments!

Comparing the two approaches

- ➔ Some researchers say that the difference between the two approaches can be compared with the 'skeptical' vs. 'credulous' attitude towards drawing defeasible conclusions ...
- ➔ m.s.a is more convenient for identifying sets of arguments that are compatible with each other.
- ➔ u.s.a considers arguments on an individual basis.

Example



Note that A and D are somehow incompatible; in the unique-assignment approach this notion is (or seems) harder to capture.

- ➔ This example has 2 status assignments:
 $\{A, C\}$ and $\{B, D\}$

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Deafeasible Logic Programming: DeLP

A *Defeasible Logic Program* (*dlp*) is a set of facts, strict and defeasible rules denoted $\mathcal{P} = (\Pi, \Delta)$

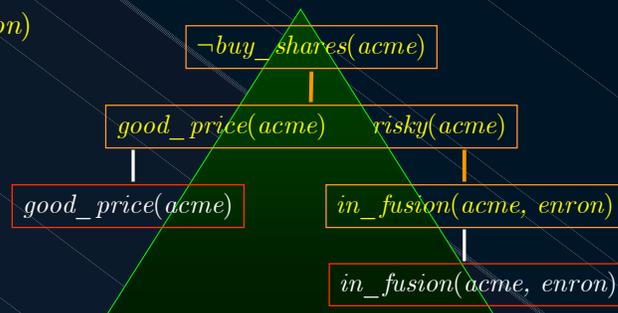
Π	{	$bird(X) \leftarrow chicken(X)$	$chicken(tina)$	} Facts
Strict Rules		$bird(X) \leftarrow penguin(X)$	$penguin(opus)$	
		$\neg flies(X) \leftarrow penguin(X)$	$scared(tina)$	
Δ	{	$flies(X) \rightarrow bird(X)$		
Defeasible Rules		$\neg flies(X) \rightarrow chicken(X)$		
		$flies(X) \rightarrow chicken(X), scared(X)$		

Defeasible Argumentation

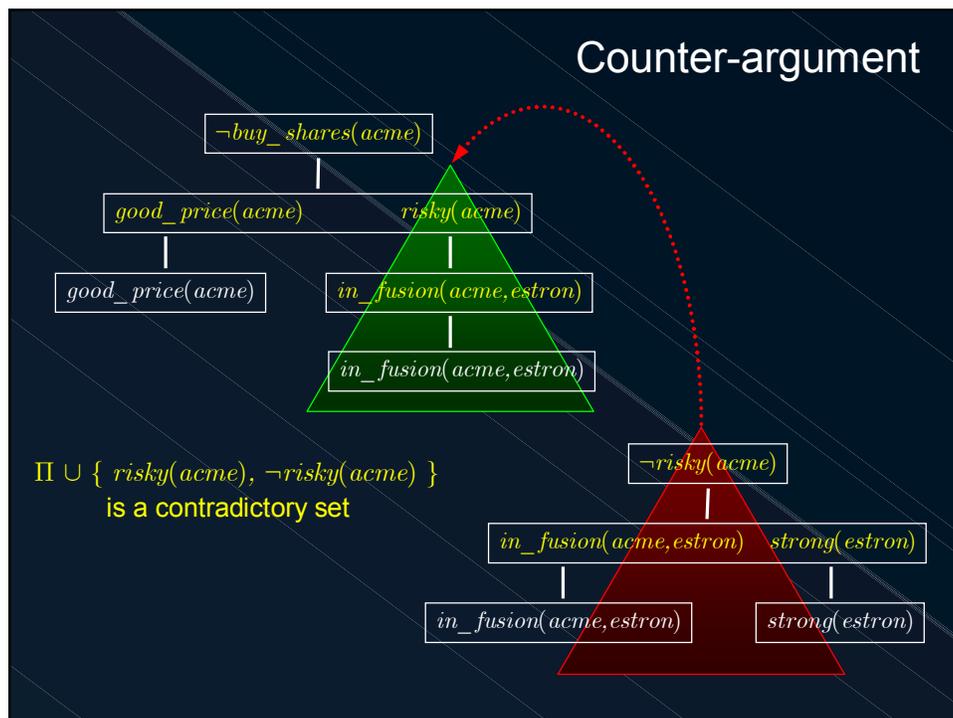
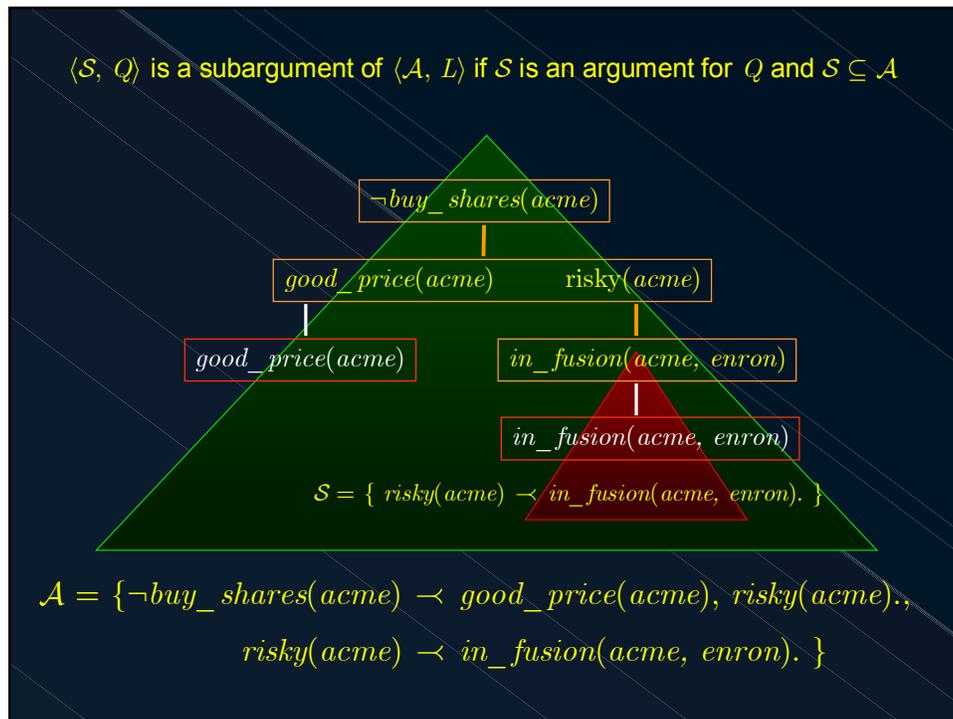
Def. Let L be a literal and $\mathcal{P} = (\Pi, \Delta)$ be a program.
 $\langle \mathcal{A}, L \rangle$ is an *argument*, for L , if \mathcal{A} is a set of rules in Δ such that:

- 1) There exists a defeasible derivation of L from $\Pi \cup \mathcal{A}$;
- 2) The set $\Pi \cup \mathcal{A}$ is non contradictory; and
- 3) There is no proper subset \mathcal{A}' of \mathcal{A} such that \mathcal{A}' satisfies 1) and 2).

$buy_shares(X) \rightarrow good_price(X)$
 $\neg buy_shares(X) \rightarrow good_price(X), risky(X)$
 $risky(X) \rightarrow in_fusion(X, Y)$
 $risky(X) \rightarrow in_debt(X)$
 $\neg risky(X) \rightarrow in_fusion(X, Y), strong(Y)$
 $good_price(acme)$
 $in_fusion(acme, estron)$
 $strong(estron)$



$\langle \{ \neg buy_shares(acme) \rightarrow good_price(acme), risky(acme).,$
 $risky(acme) \rightarrow in_fusion(acme, enron). \}, \neg buy_shares(acme) \rangle$



Argument Comparison: Generalized Specificity

Def: Let $\mathcal{P} = (\Pi, \Delta)$ be a program, let Π_G be the set of strict rules in Π and let \mathcal{F} be the set of all literals that can be defeasibly derived from \mathcal{P} . Let $\langle \mathcal{A}_1, L_1 \rangle$ and $\langle \mathcal{A}_2, L_2 \rangle$ be two arguments built from \mathcal{P} , where $L_1, L_2 \in \mathcal{F}$.

Then $\langle \mathcal{A}_1, L_1 \rangle$ is *strictly more specific than* $\langle \mathcal{A}_2, L_2 \rangle$ if:

1. For all $\mathcal{H} \subseteq \mathcal{F}$, if there exists a defeasible derivation $\Pi_G \cup \mathcal{H} \cup \mathcal{A}_1 \sim L_1$ while $\Pi_G \cup \mathcal{H} \not\sim L_1$ then $\Pi_G \cup \mathcal{H} \cup \mathcal{A}_1 \sim L_2$, and
2. There exists $\mathcal{H}' \subseteq \mathcal{F}$ such that there exists a defeasible derivation $\Pi_G \cup \mathcal{H}' \cup \mathcal{A}_2 \sim L_2$ and $\Pi_G \cup \mathcal{H}' \not\sim L_2$ but $\Pi_G \cup \mathcal{H}' \cup \mathcal{A}_1 \not\sim L_1$

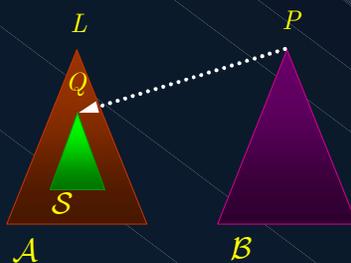
(Poole, David L. (1985). *On the Comparison of Theories: Preferring the Most Specific Explanation*. pages 144–147 Proceedings of 9th IJCAI.)

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Defeaters

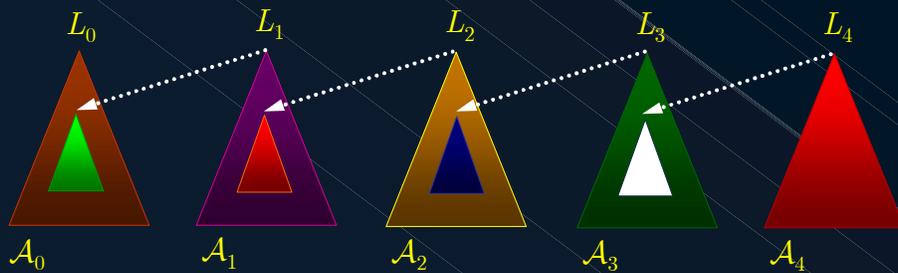
An argument $\langle \mathcal{B}, P \rangle$ is a *defeater* for $\langle \mathcal{A}, L \rangle$ if $\langle \mathcal{B}, P \rangle$ is a counter-argument $\langle \mathcal{A}, L \rangle$ that attacks a subargument $\langle \mathcal{S}, Q \rangle$ of $\langle \mathcal{A}, L \rangle$ and one of the following conditions holds:

- (a) $\langle \mathcal{B}, P \rangle$ is better than $\langle \mathcal{S}, Q \rangle$ (*proper defeater*), or
- (b) $\langle \mathcal{B}, P \rangle$ is not comparable to $\langle \mathcal{S}, Q \rangle$ (*blocking defeater*)



Argumentation Line

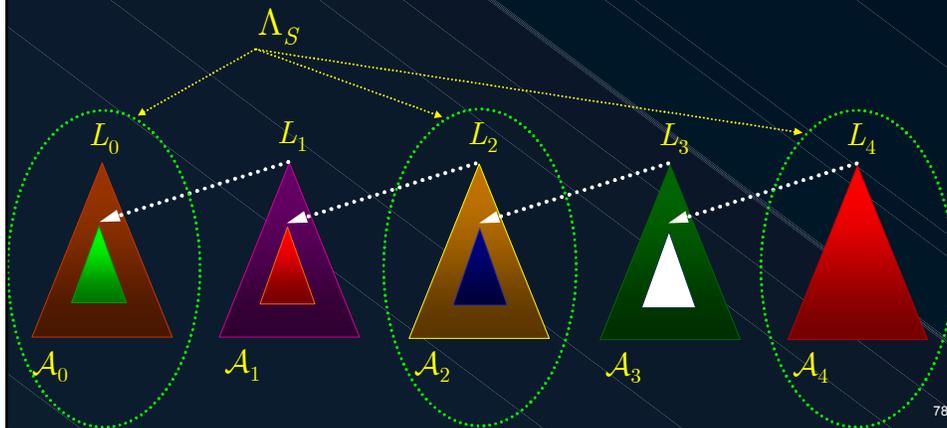
Given $\mathcal{P} = (\Pi, \Delta)$, and $\langle \mathcal{A}_0, L_0 \rangle$ an argument obtained from \mathcal{P} . An *argumentation line* for $\langle \mathcal{A}_0, L_0 \rangle$ is a sequence of arguments obtained from \mathcal{P} , denoted $\Lambda = [\langle \mathcal{A}_0, L_0 \rangle, \langle \mathcal{A}_1, L_1 \rangle, \dots]$ where each element in the sequence $\langle \mathcal{A}_i, L_i \rangle, i > 0$ is a defeater for $\langle \mathcal{A}_{i-1}, L_{i-1} \rangle$.



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Argumentation Line

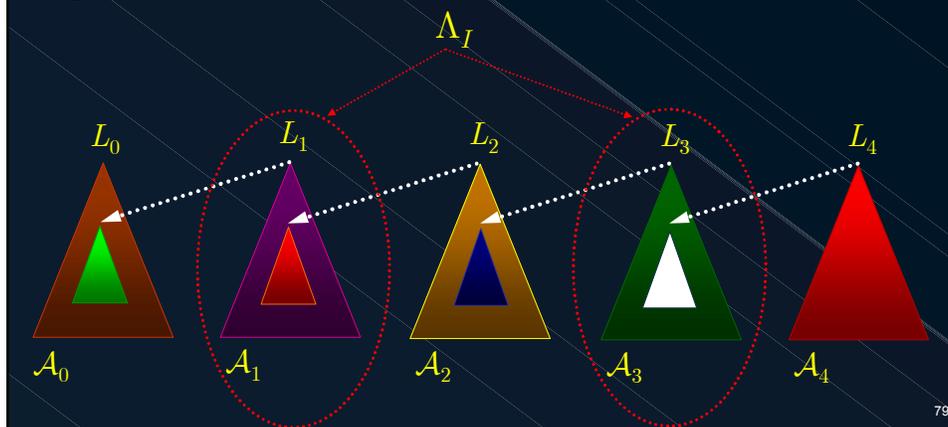
Given an argumentation line $\Lambda = [\langle \mathcal{A}_0, L_0 \rangle, \langle \mathcal{A}_1, L_1 \rangle, \dots]$, the subsequence $\Lambda_S = [\langle \mathcal{A}_0, L_0 \rangle, \langle \mathcal{A}_2, L_2 \rangle, \dots]$ contains *supporting arguments* and $\Lambda_I = [\langle \mathcal{A}_1, L_1 \rangle, \langle \mathcal{A}_3, L_3 \rangle, \dots]$ are *interfering arguments*.



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Argumentation Line

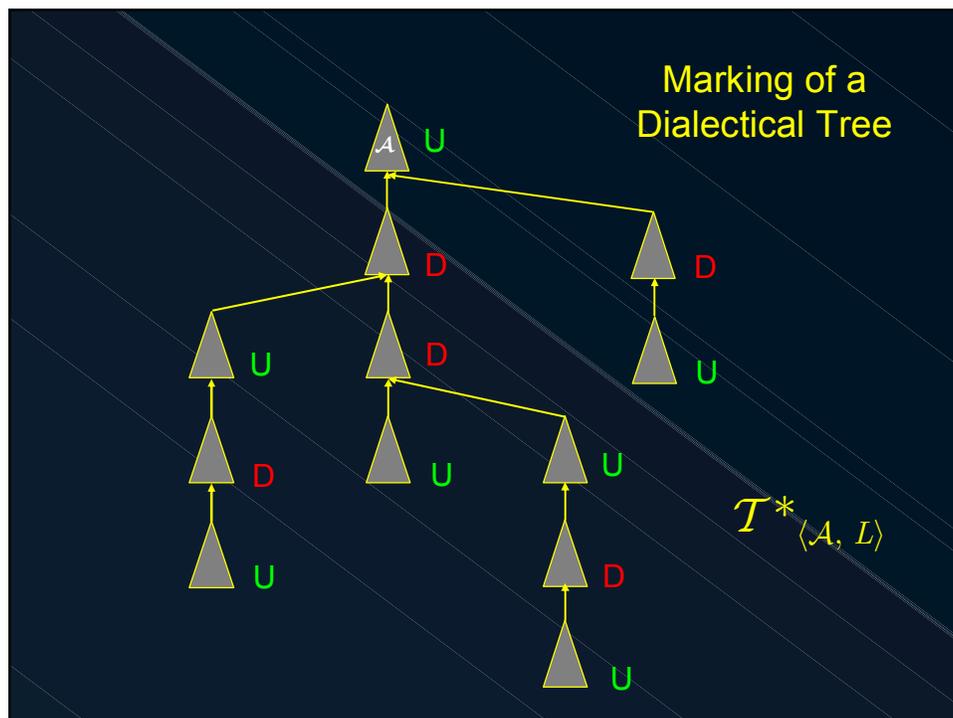
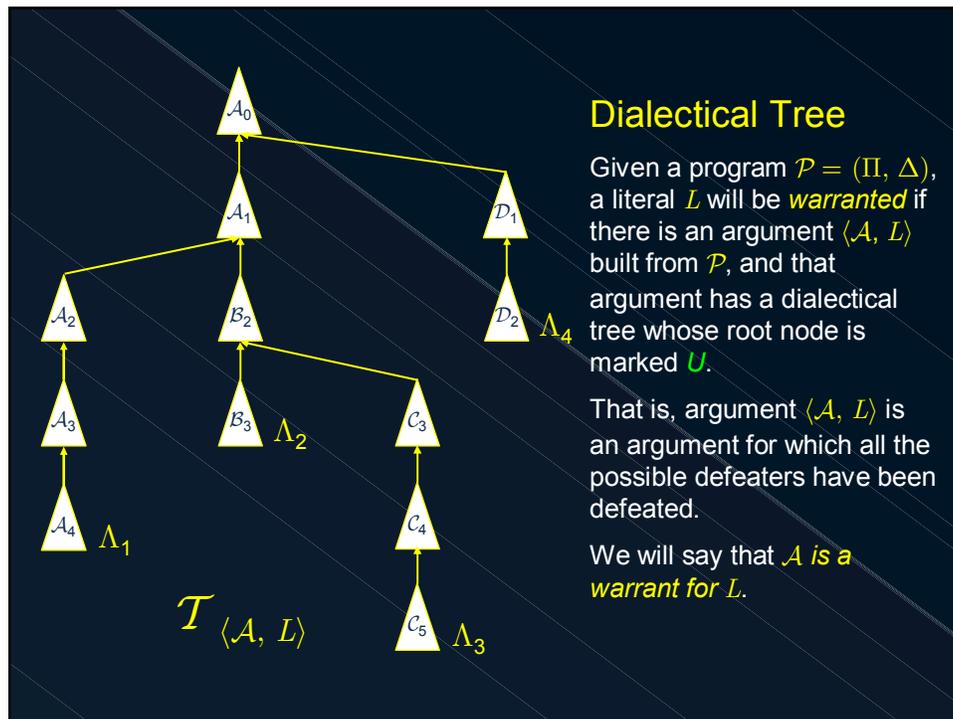
Given an argumentation line $\Lambda = [\langle \mathcal{A}_0, L_0 \rangle, \langle \mathcal{A}_1, L_1 \rangle, \dots]$, the subsequence $\Lambda_S = [\langle \mathcal{A}_0, L_0 \rangle, \langle \mathcal{A}_2, L_2 \rangle, \dots]$ contains *supporting arguments* and $\Lambda_I = [\langle \mathcal{A}_1, L_1 \rangle, \langle \mathcal{A}_3, L_3 \rangle, \dots]$ are *interfering arguments*.



Acceptable Argumentation Line

Given a program $\mathcal{P} = (\Pi, \Delta)$, an argumentation line $\Lambda = [\langle \mathcal{A}_0, L_0 \rangle, \langle \mathcal{A}_1, L_1 \rangle, \dots]$ will be *acceptable* if:

1. Λ is a finite sequence.
2. The sets Λ_S of supporting arguments is concordant, and the set Λ_I of interfering arguments is concordant.
3. There is no argument $\langle \mathcal{A}_k, L_k \rangle$ in Λ that is a subargument of a preceding argument $\langle \mathcal{A}_i, L_i \rangle$, $i < k$.
4. For all i , such that $\langle \mathcal{A}_i, L_i \rangle$ is a blocking defeater for $\langle \mathcal{A}_{i-1}, L_{i-1} \rangle$, if there exists $\langle \mathcal{A}_{i+1}, L_{i+1} \rangle$ then $\langle \mathcal{A}_{i+1}, L_{i+1} \rangle$ is a proper defeater for $\langle \mathcal{A}_i, L_i \rangle$ (i.e., $\langle \mathcal{A}_i, L_i \rangle$ could not be blocked).



Answers in DeLP

Given a program $\mathcal{P} = (\Pi, \Delta)$, and a query for L the possible answers are:

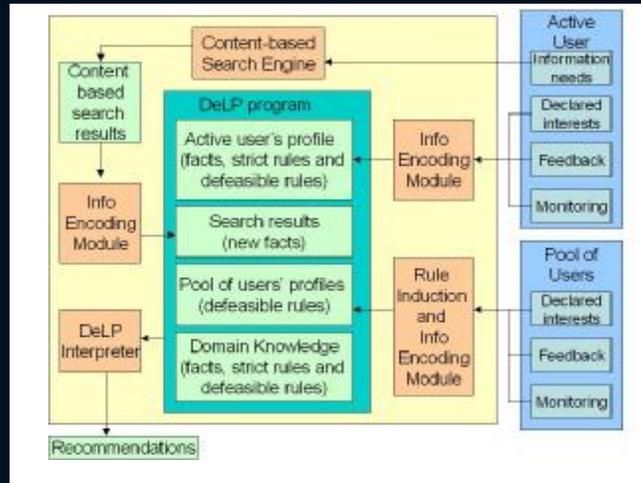
- **YES**, if L is warranted.
- **NO**, if $\neg L$ is warranted.
- **UNDECIDED**, if neither L nor $\neg L$ are warranted.
- **UNKNOWN**, if L is not in the language of the program.

DeLP : extensions

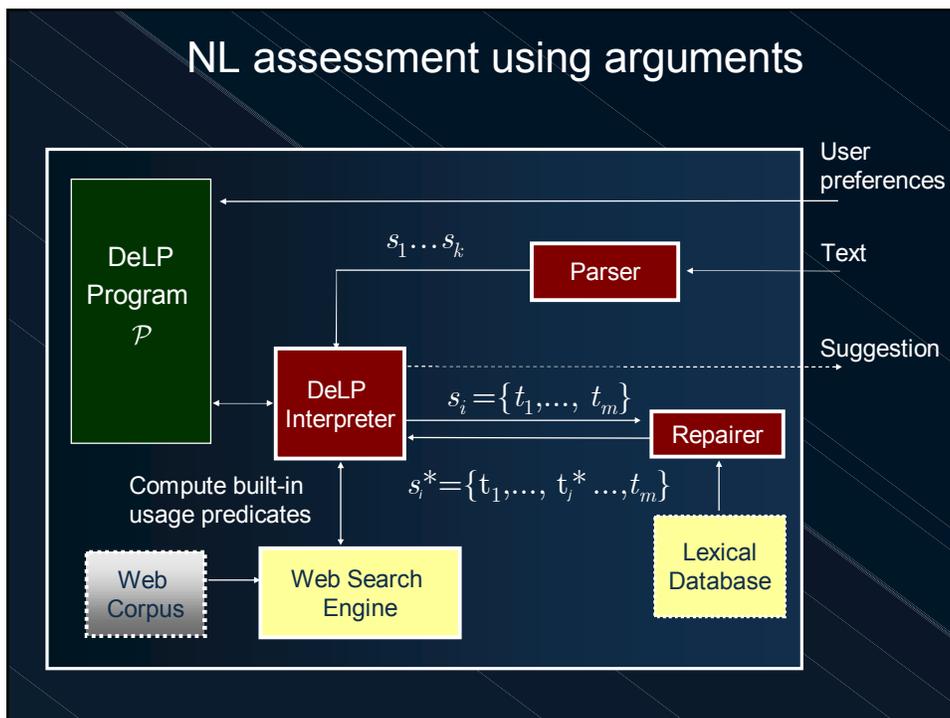
➔ *Recently extensions of DeLP have been developed:*

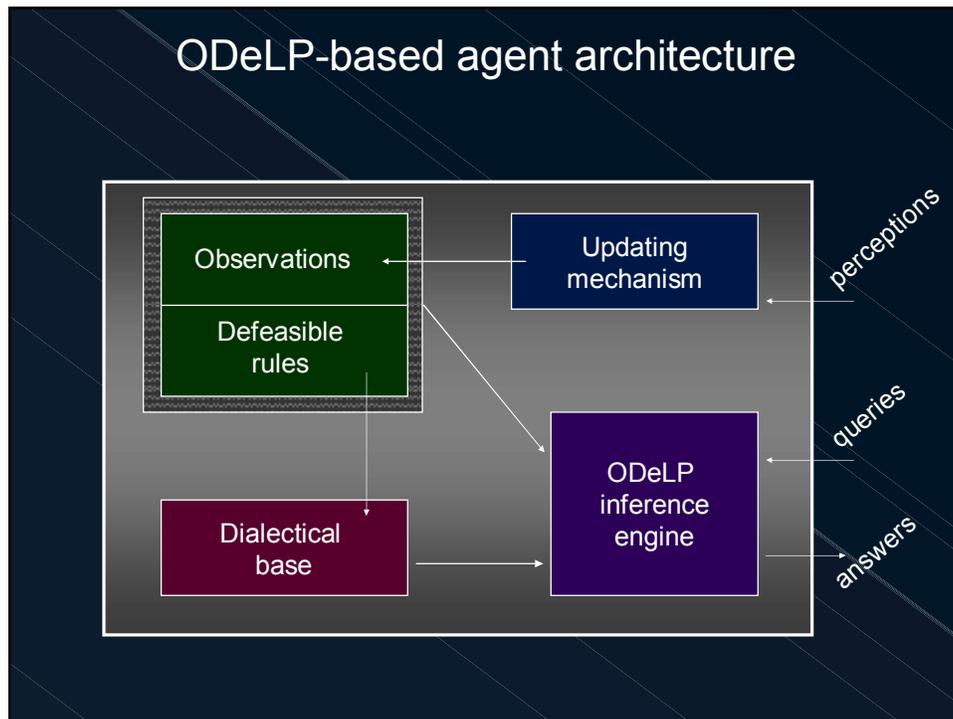
- **P-DeLP** (Chesñevar et. al, 2004): *aims at modelling reasoning under uncertainty (e.g. possibilistic reasoning).*
- **O-DeLP** (Capobianco et. al, 2004): *aims at modelling reasoning for agents in changing environments.*

Argument-based Recommenders



NL assessment using arguments





P-DeLP in an agent's reasoning module

Sample rules:

- When there is pump clog, fuel is not ok:
 $(\neg fuel_ok \leftarrow pump_clog, 1)$
- When there is heat, usually engine is not ok.
 $(\neg engine_ok \leftarrow heat, 0.95)$

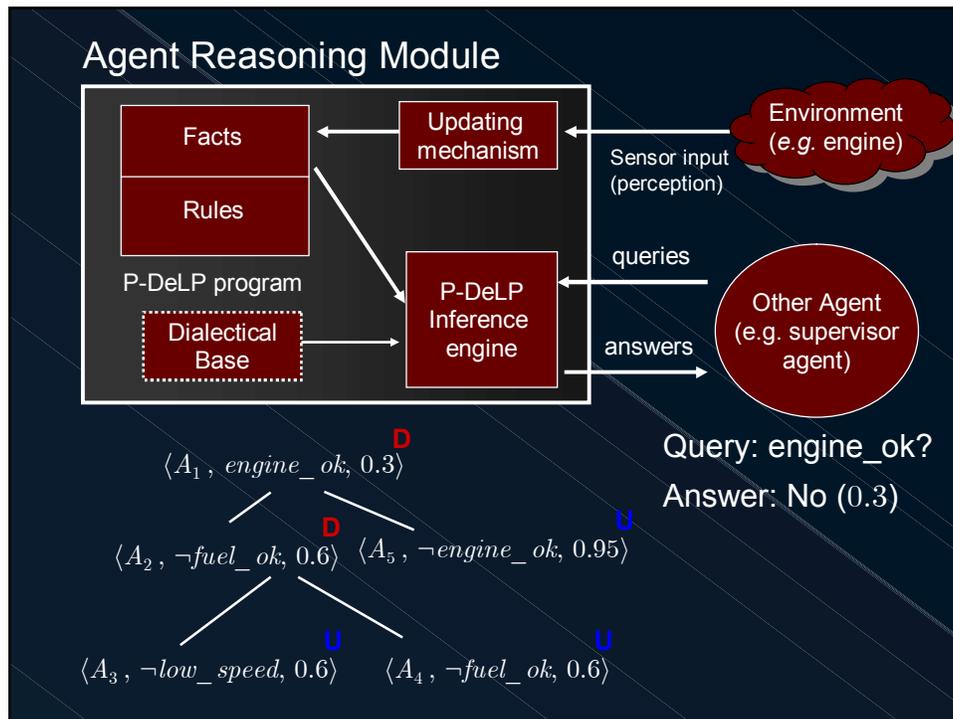
Oil Pump	Fuel Pump	Motor	
sw1	sw2	sw3	Speed:03

Engine has 3 switches on

There is heat

Is the engine ok?

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Second Part